



Computer Vision Winter-2017

Tutorial 1

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A little recap about filtering



This is filtering as well

Kemel		
1/9	1/9	1/9
1/9	1/9	4/9
1/9	1/9	1/9

Input Image									
2	2	4	4	6	6	6	6	3	3
2	5	5	4	7	7	3	3	3	3
5	5	5	4	3	3	3	1	1	1
7	8	8	8	6	4	2	2	2	2
9	8	10	10	8	4	4	2	2	2
9	6	9	9	7	6	6	6	6	6
7	7	9	9	8	8	8	8	8	8
7	7	8	8	8	8	8	8	8	8

$$\begin{aligned} &1/9 * 2 + 1/9 * 2 + 1/9 * 4 + \\ &1/9 * 2 + 1/9 * 2 + 1/9 * 5 + \\ &1/9 * 5 + 1/9 * 5 + 1/9 * 5 = 4 \end{aligned}$$

Output Image									
4	4	4	5	5	5	4	4	4	4
5	6	5	5	4	4	4	4	4	4
7	7	7	6	4	3	3	3	3	3
8	8	8	7	5	4	4	4	4	4
8	9	9	8	6	6	6	6	6	6
8	8	8	8	8	8	8	8	8	8



A little recap about filtering

Basically you need follow three steps,

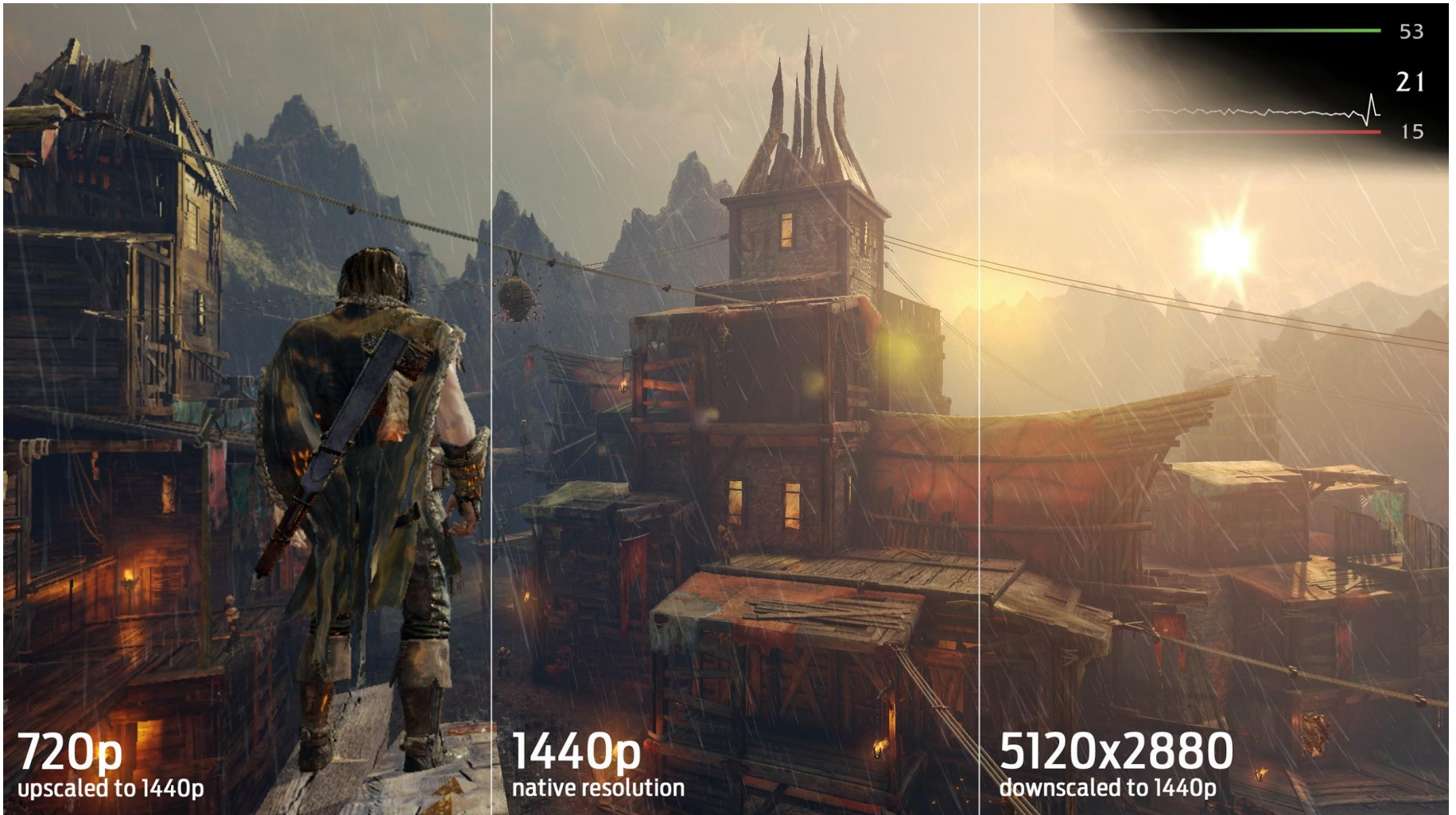
- 1) a iterating order(any order will do, so don't worry)
- 2) at each pixel, think about its relationship(mask) with others, the relationship should be the same for every pixel.
- 3) Convolution

Down-sampling/Up-sampling is filtering as well

In the case of down-sampling/up-sampling, you have **dest-image** and **src-image**

Only difference is:

- 1) you iterate through **dest-image** coordinates,
- 2) mask applies on **src-image**



But yes, the resolution is fake

More filtering

- 1) gaussian kernel:
 - a)
- 2) laplacian kernel:
 - a)
- 3) LoG kernel:
 - a)
- 4) HoG kernel:

More filtering

1) gaussian kernel:

a) $K(x:x',\sigma) = 1/(\text{sqrt}(2\pi)\sigma) * \exp(-(x-x')^2/2\sigma^2)$

2) laplacian kernel:

a)

3) LoG kernel:

a)

4) HoG kernel:

More filtering

1) gaussian kernel:

a) $K(x:x',\sigma) = 1/(\text{sqrt}(2\pi)\sigma) * \exp(-(x-x')^2/2\sigma^2)$

2) laplacian kernel:

a) $L(x, y) = \frac{\partial^2 I}{\partial x^2} + \frac{\partial^2 I}{\partial y^2}$

3) LoG kernel:

a)

4) DoG kernel:

More filtering

1) gaussian kernel:

a) $K(x:x',\sigma) = 1/(\text{sqrt}(2\pi)\sigma) * \exp(-(x-x')^2/2\sigma^2)$

2) laplacian kernel:

a) $L(x, y) = \frac{\partial^2 I}{\partial x^2} + \frac{\partial^2 I}{\partial y^2}$

3) LoG kernel:

a) [equations link](#)

4) DoG kernel:

More filtering

1) gaussian kernel:

a) $K(x:x',\sigma) = 1/(\text{sqrt}(2\pi)\sigma) * \exp(-(x-x')^2/2\sigma^2)$

2) laplacian kernel:

a) $L(x, y) = \frac{\partial^2 I}{\partial x^2} + \frac{\partial^2 I}{\partial y^2}$

3) LoG kernel:

a) [equations link](#)

4) DoG kernel:

[equations link](#)

More filtering

1) gaussian kernel:

a) $K(x:x',\sigma) = 1/(\text{sqrt}(2\pi)\sigma) * \exp(-(x-x')^2/2\sigma^2)$

2) laplacian kernel:

a) $L(x, y) = \frac{\partial^2 I}{\partial x^2} + \frac{\partial^2 I}{\partial y^2}$

3) LoG kernel:

a) [equations link](#)

4) DoG kernel:

[equations link](#)

Which one is the right kernel

$$\begin{bmatrix} 0 & 0 & 1 & 0 & 0 \\ 0 & 1 & 2 & 1 & 0 \\ 1 & 2 & -16 & 2 & 1 \\ 0 & 1 & 2 & 1 & 0 \\ 0 & 0 & 1 & 0 & 0 \end{bmatrix}$$

0	-1	0
-1	4	-1
0	-1	0

$$\begin{bmatrix} 0 & 0 & -1 & -1 & -1 & 0 & 0 \\ 0 & -1 & -3 & -3 & -3 & -1 & 0 \\ -1 & -3 & 0 & 7 & 0 & -3 & -1 \\ -1 & -3 & 7 & 24 & 7 & -3 & -1 \\ -1 & -3 & 0 & 7 & 0 & -3 & -1 \\ 0 & -1 & -3 & -3 & -3 & -1 & 0 \\ 0 & 0 & -1 & -1 & -1 & 0 & 0 \end{bmatrix}$$

$\frac{1}{273}$

1	4	7	4	1
4	16	26	16	4
7	26	41	26	7
4	16	26	16	4
1	4	7	4	1

Canny Edge detections

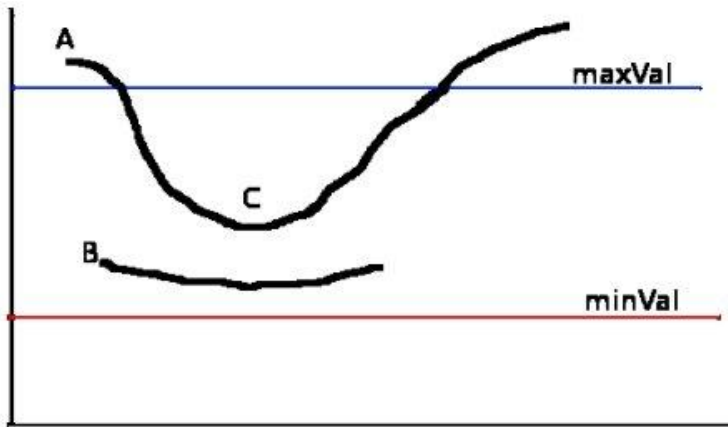
//prototype

```
C++: void Canny(InputArray image, OutputArray edges, double threshold1,  
double threshold2, int apertureSize=3, bool L2gradient=false )
```

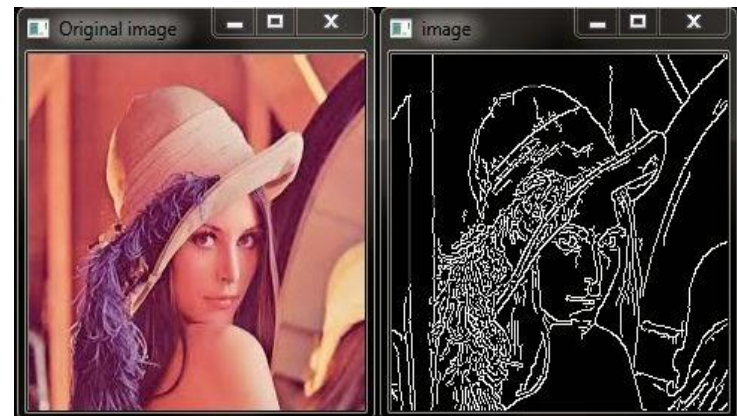
canny is a algorithm with 4) steps

- 1) **Smooth** the image with a gaussian kernel? **Why?**
- 2) Apply **sobel filters** on the images to find the gradients.
- 3) Non-maximum suppression. **For what reason?**
- 4) **two** threshold filtering, **upper threshold, down-threshold**
?) What does the threshold do?

Edge detections



the two threshold



Edges

Let's code with OpenCV

super-sampling:

filtering:

canny edge detector:



End